

Fig 1 Benzene SDF – z-axis normal to molecule plane. Contour level set to 2.5 (-2.5 in input file to get absolute contours).

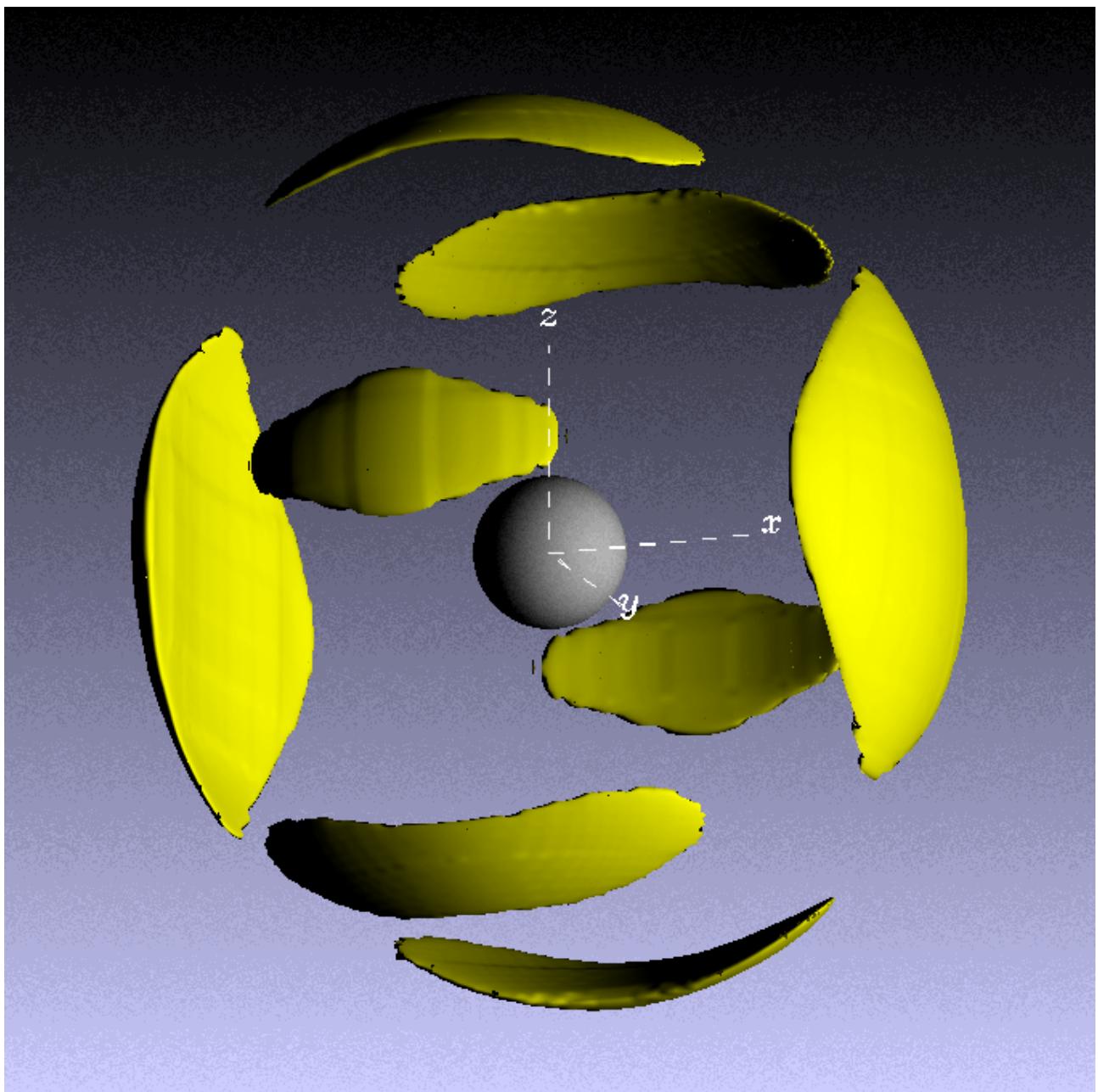


Fig 2. Benzene SDF – z-axis in plane of molecule, contour level set to 2.5 (-2.5 in input file).

/home/aks45/EPSR17/run/benzene/benznormal

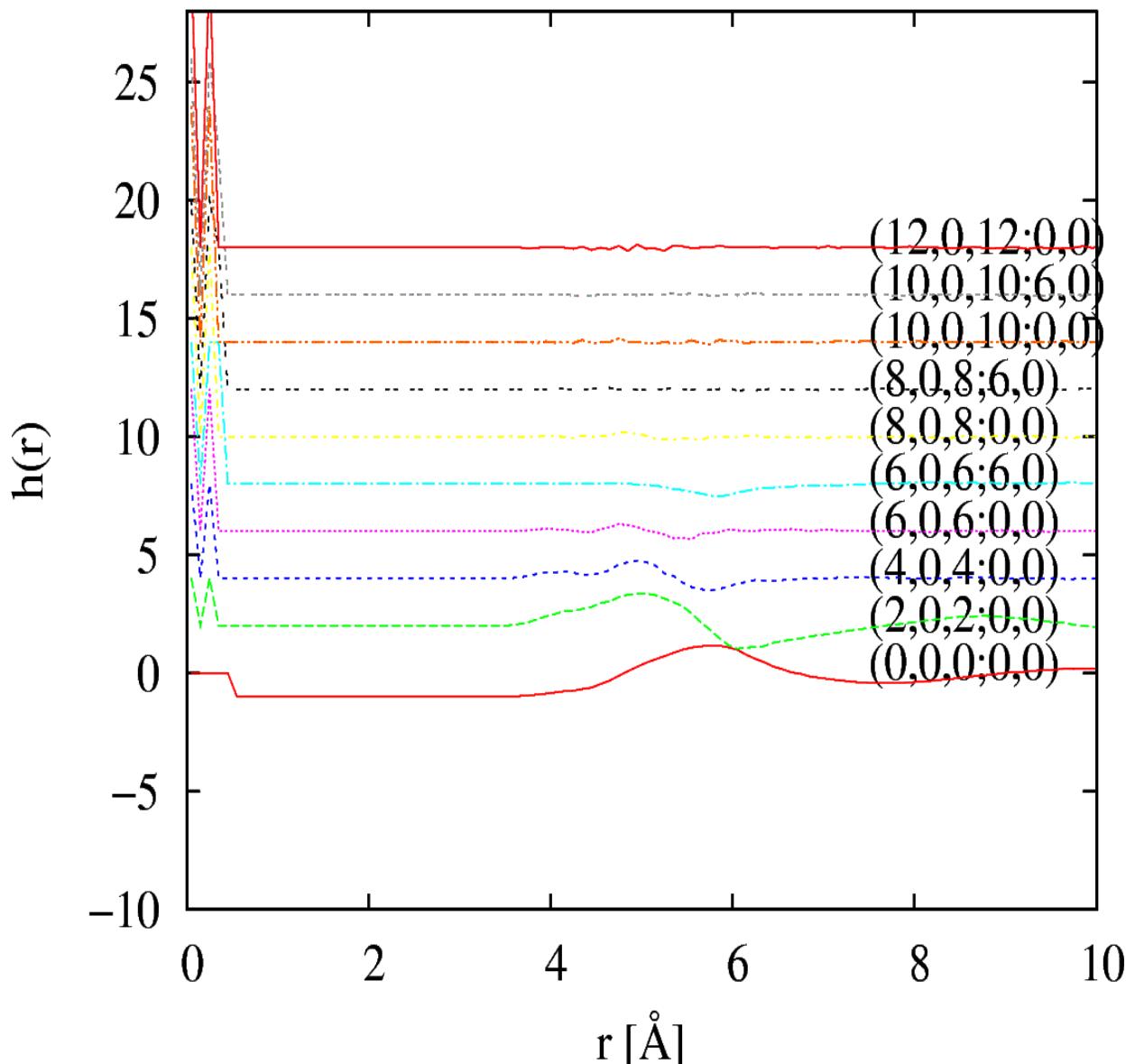


Fig 3. Spherical harmonic expansion coefficients as a function of radius for liquid benzene, with the z-axis normal to the plane of the benzene ring.

/home/aks45/EPSR17/run/benzene/benzparallel

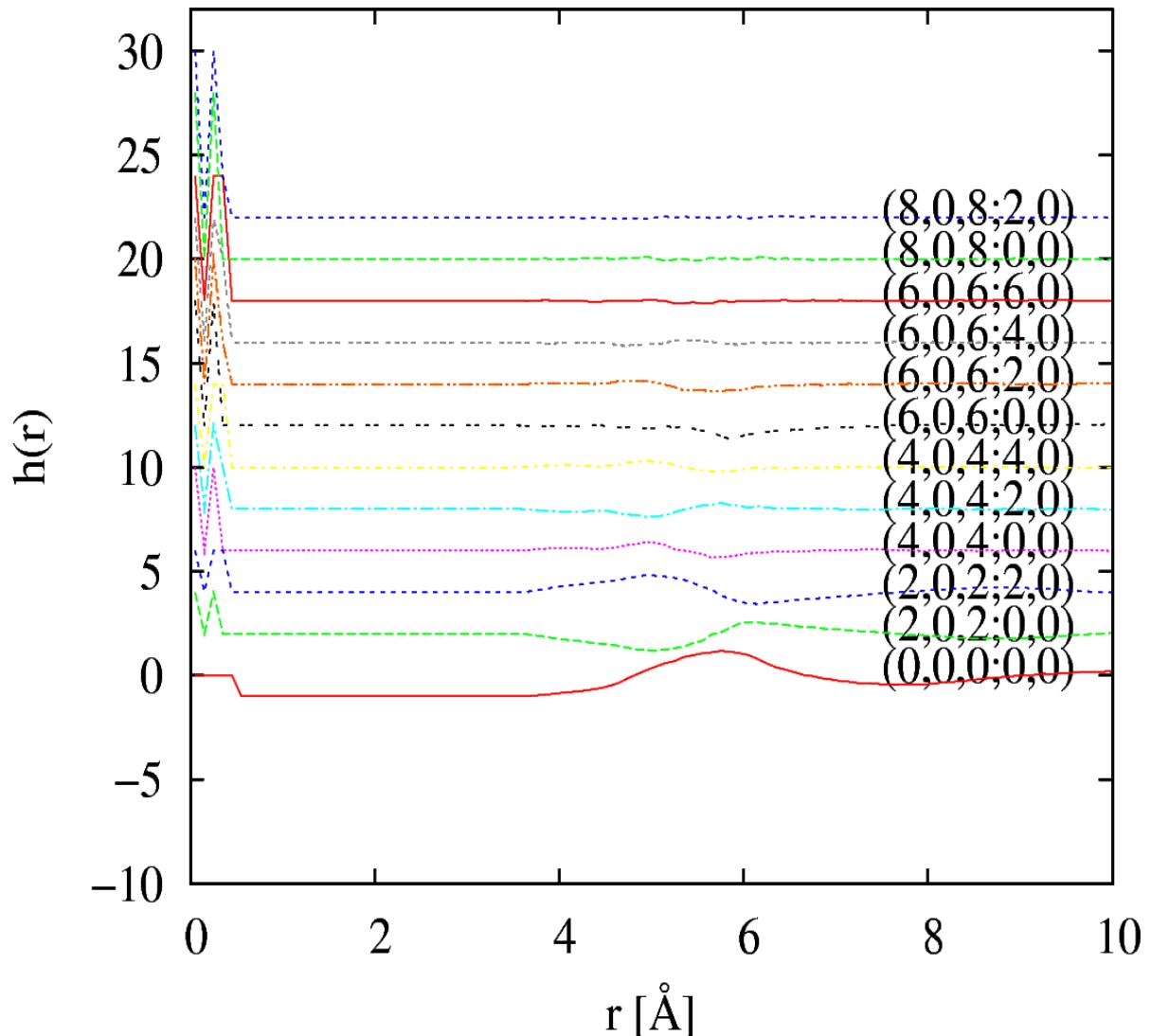


Fig 4 Spherical harmonic expansion coefficients as a function of radius for liquid benzene, with the z-axis parallel to the plane of the benzene ring.

Plot g(r)'s in different directions for normal and parallel coordinate systems. Values of theta and phi used were:

Direction (z-axis normal to molecular plane, x-axis through ring carbon)	Thetal	Phil	Equivalent direction (z-axis through ring carbon, x-axis normal to molecular plane)	Thetal	Phil
001	0	0	100	90	0
010	90	90	010	90	90
100	90	0	001	0	0
110	90	45	011	45	90
101	45	0	101	45	0
011	45	90	110	90	45
111	54.7	45	111	54.7	45

The g(r)'s corresponding to these directions are shown below

001 (100)

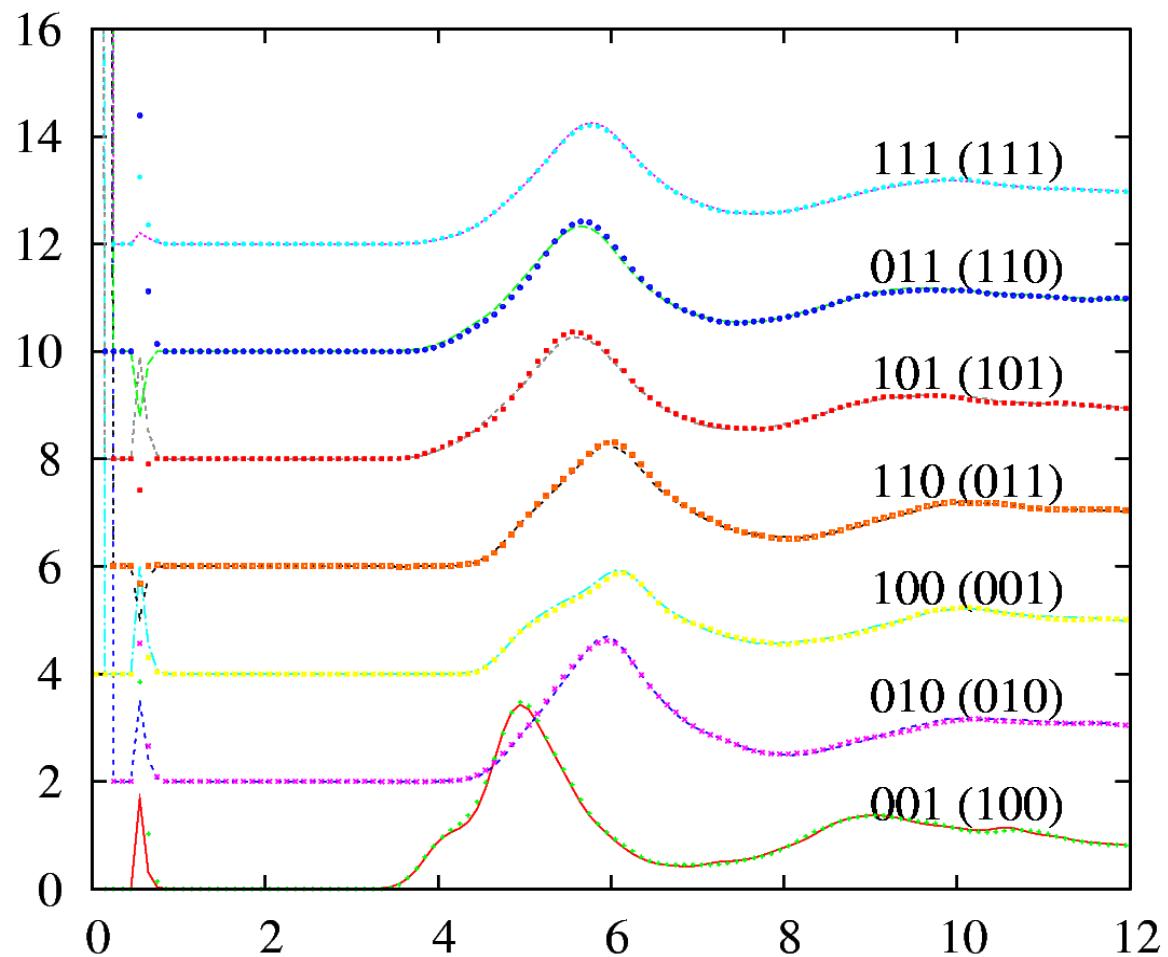


Figure 5.  $g(r)$ 's in particular directions (Miller indices  $hkl$ ) for the z-axis normal to the benzene ring (lines). The dots correspond to the equivalent directions when the z-axis is parallel to the plane of the ring. The brackets show the Miller indices corresponding to the latter axes in each case.

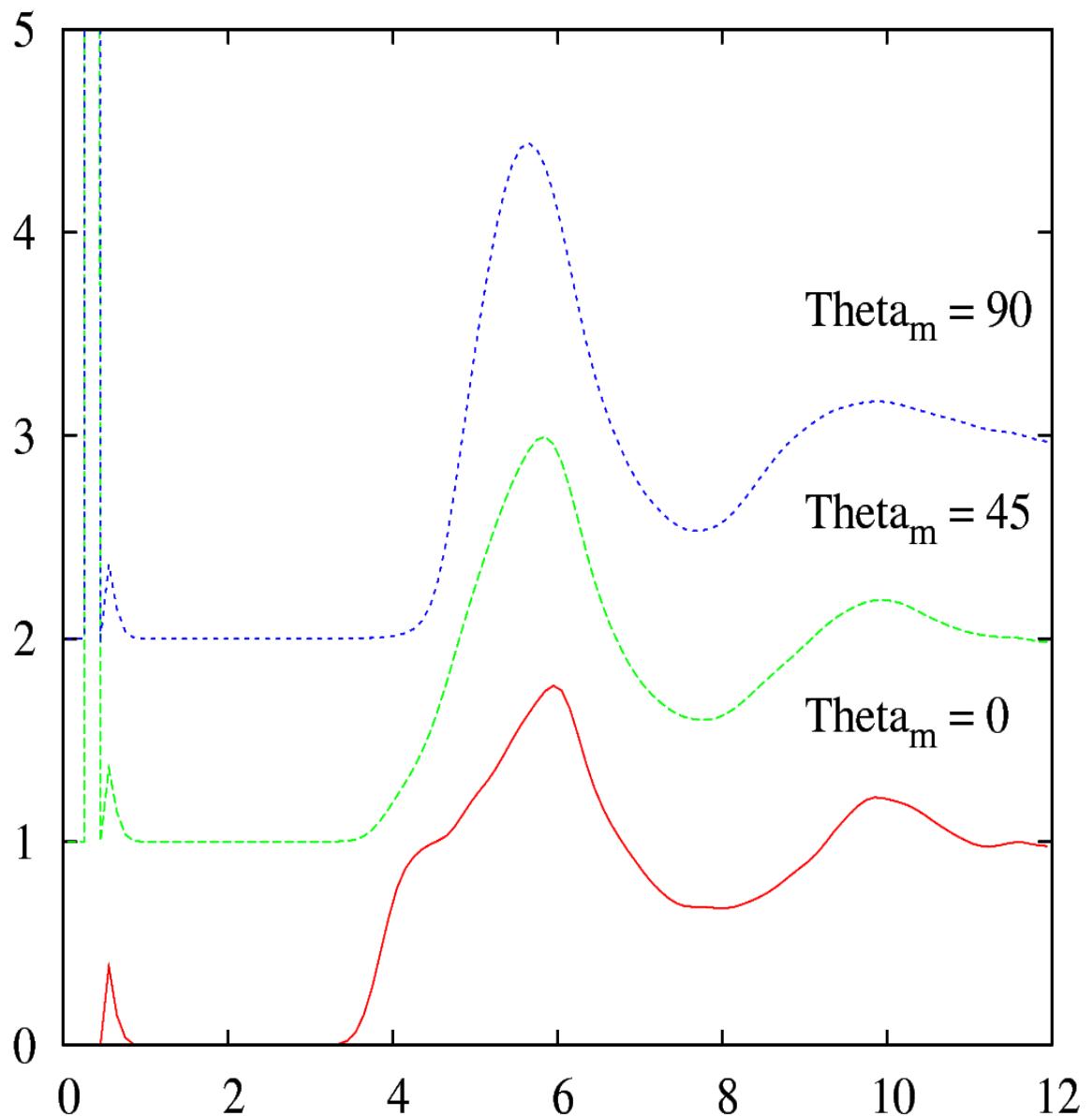


Fig. 6 Plot of the orientational correlation function for benzene, averaged over spatial directions  $\theta_1$  and  $\phi_1$ , internal rotations  $\chi_m$ , for three values of the relative angle,  $\theta_m$ . For this plot  $l = m = 0$ .

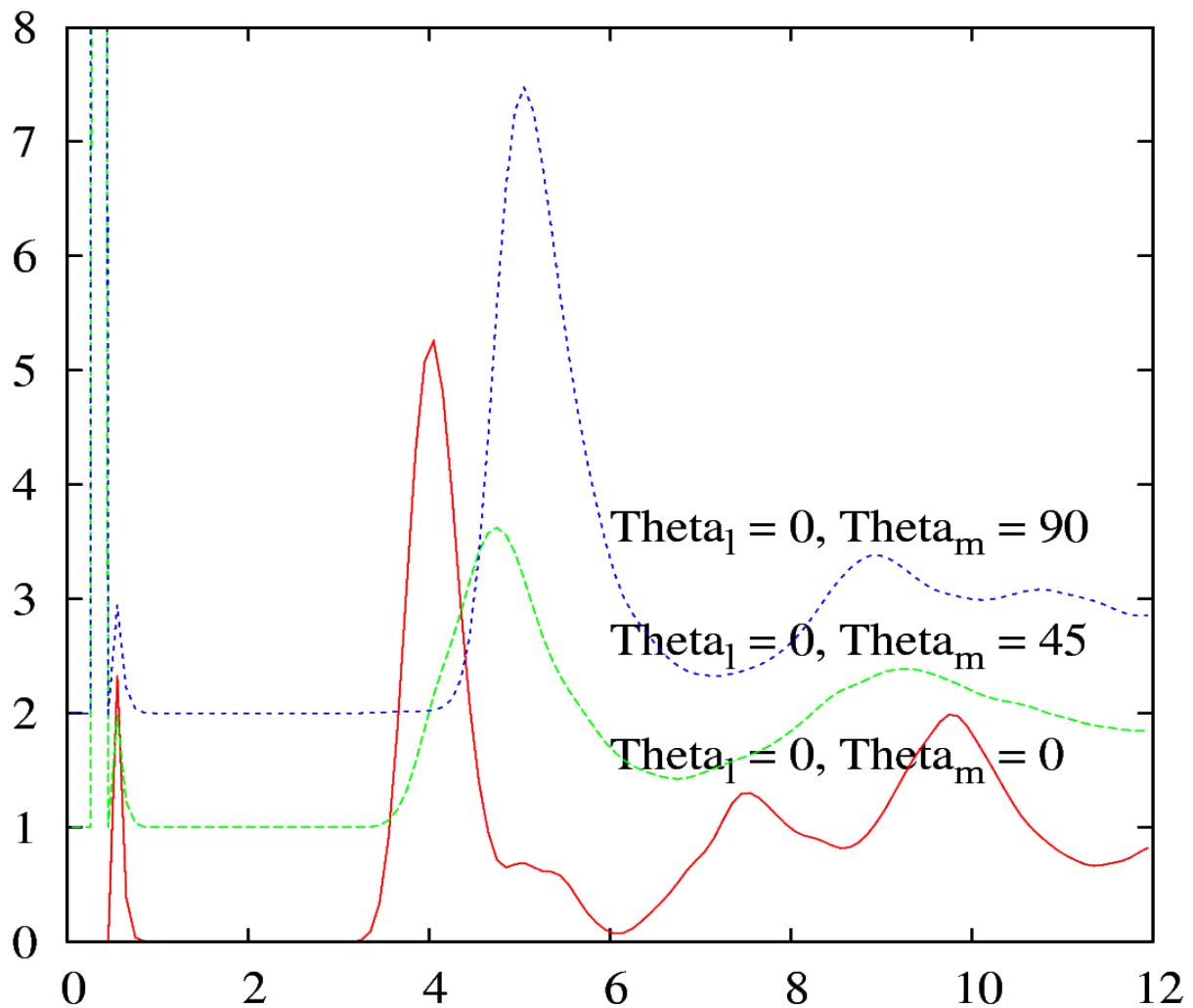


Fig. 7 Plot of the orientational correlation function for benzene, averaged over directions  $\phi_1$ , and  $\chi_m$  for three values of the relative angle,  $\theta_m$ , and with  $\theta_1 = 0$ , corresponding to along the polar z-axis (normal to the molecular plane). For this plot  $m = 0$ .

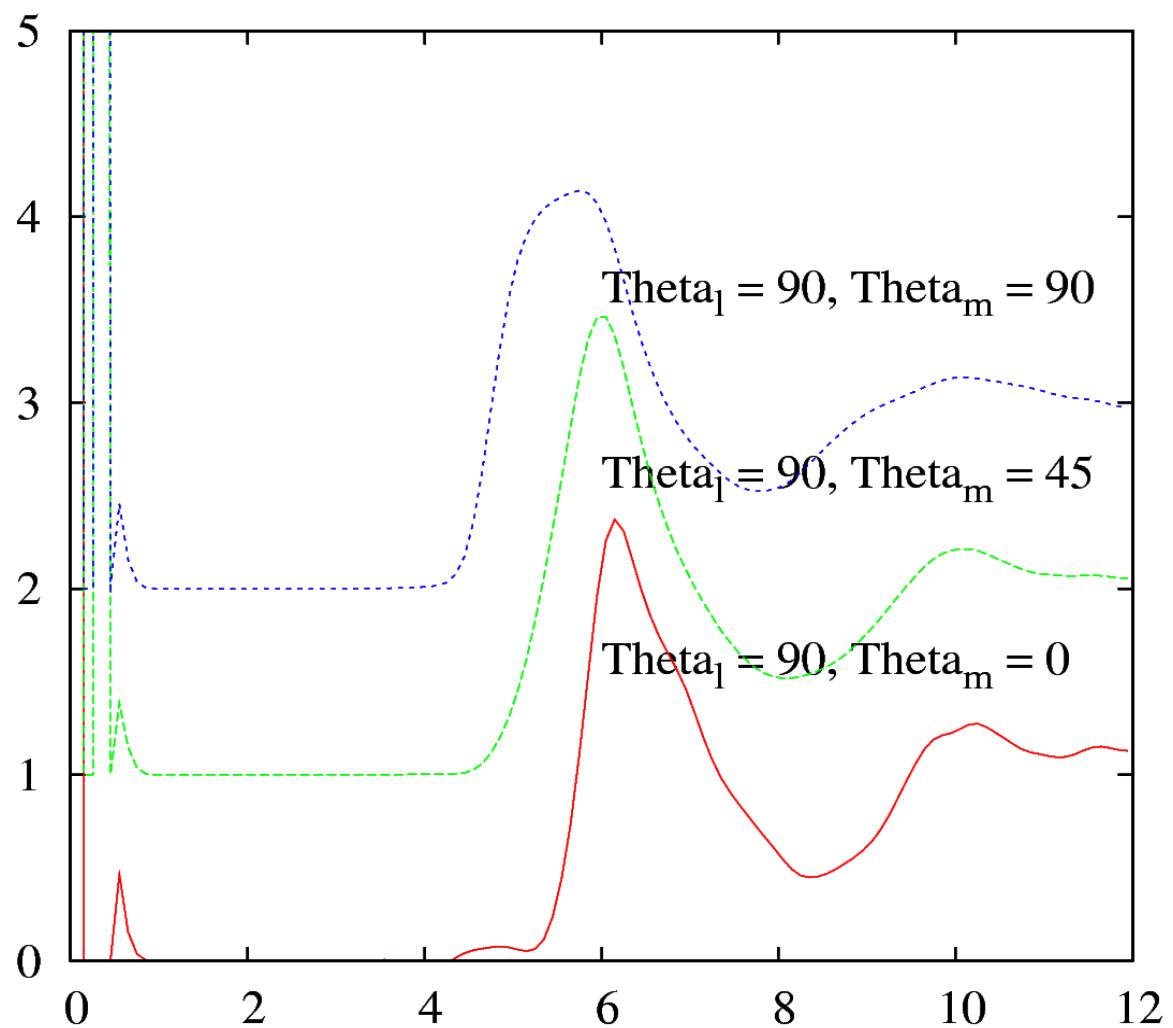


Fig 8. Same as Fig 7, but with  $\Theta_l = 90$ , i.e. the equatorial plane